



# Introduction to LAN/WAN

Data Link Layer

# Topics

- Introduction
- Errors
- Protocols
- Modeling
- Examples



# Introduction

- Reliable, efficient communication between two adjacent machines
- Machine A puts bits on wire, B takes them off. Trivial, right? Wrong!
- Challenges:
  - Circuits make errors
  - Finite data rate
  - Propagation delay
- Protocols must deal!

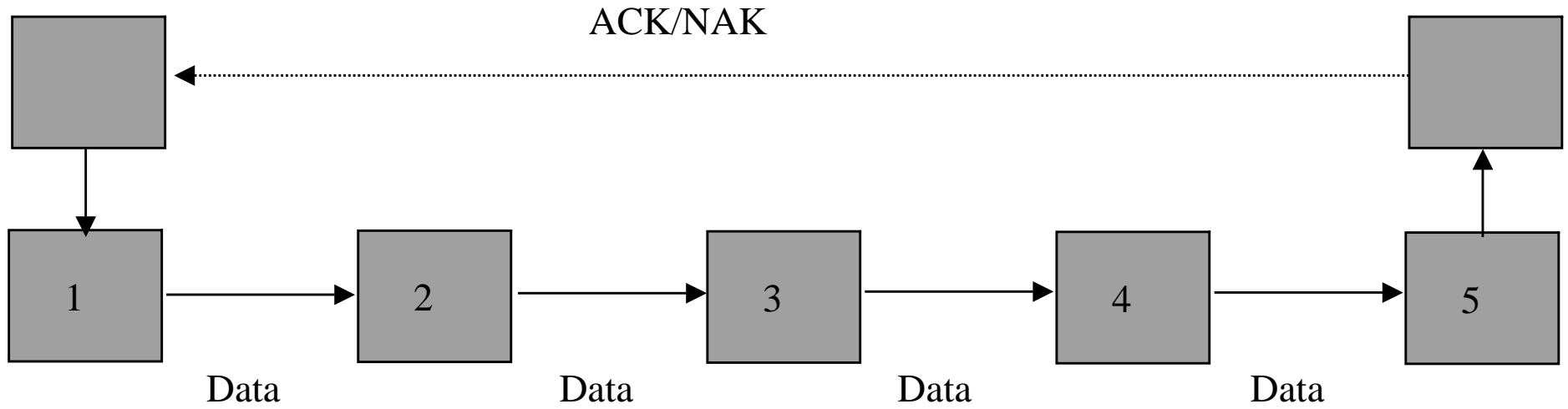


# Data Link Layer Functions

- Provides a *well-defined service interface* to the network layer.
- Determines how the bits of the physical layer are grouped into frames (*framing*).
- Deals with transmission errors (*CRC and ARQ*).
- Flow control: regulates the flow of frames.
- Performs general link layer management. (seq #, protocols, etc)



# End to End



# Hop by Hop

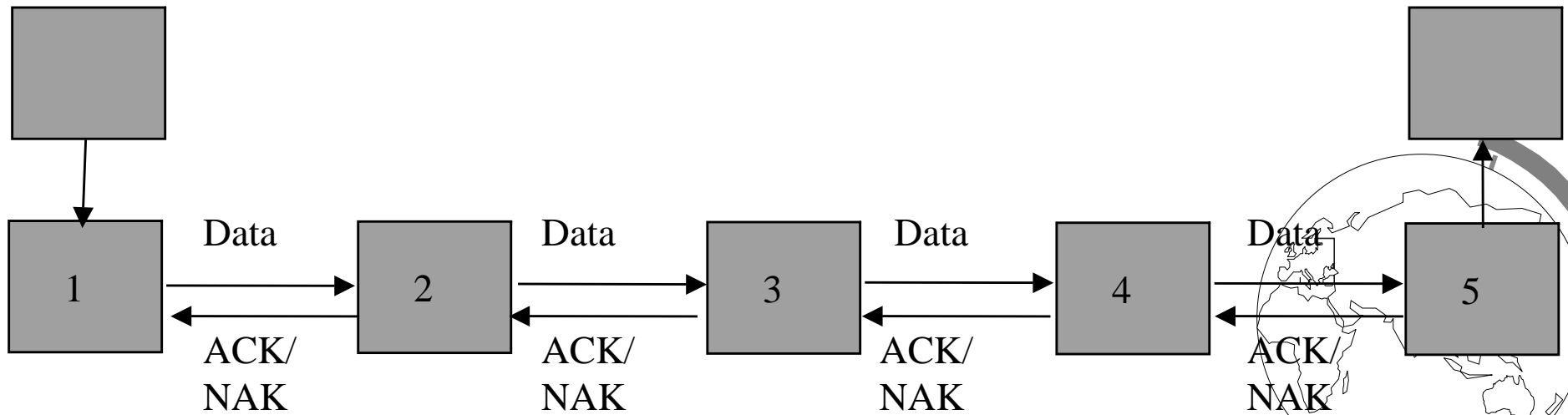


Figure 5.7

# Data Link Services

- Network layer has bits
- Says to data link layer:
  - “send these to this other network layer”
- Data link layer sends bits to other data link layer
- Other data link layer passes them up to network layer



# Data Link Services

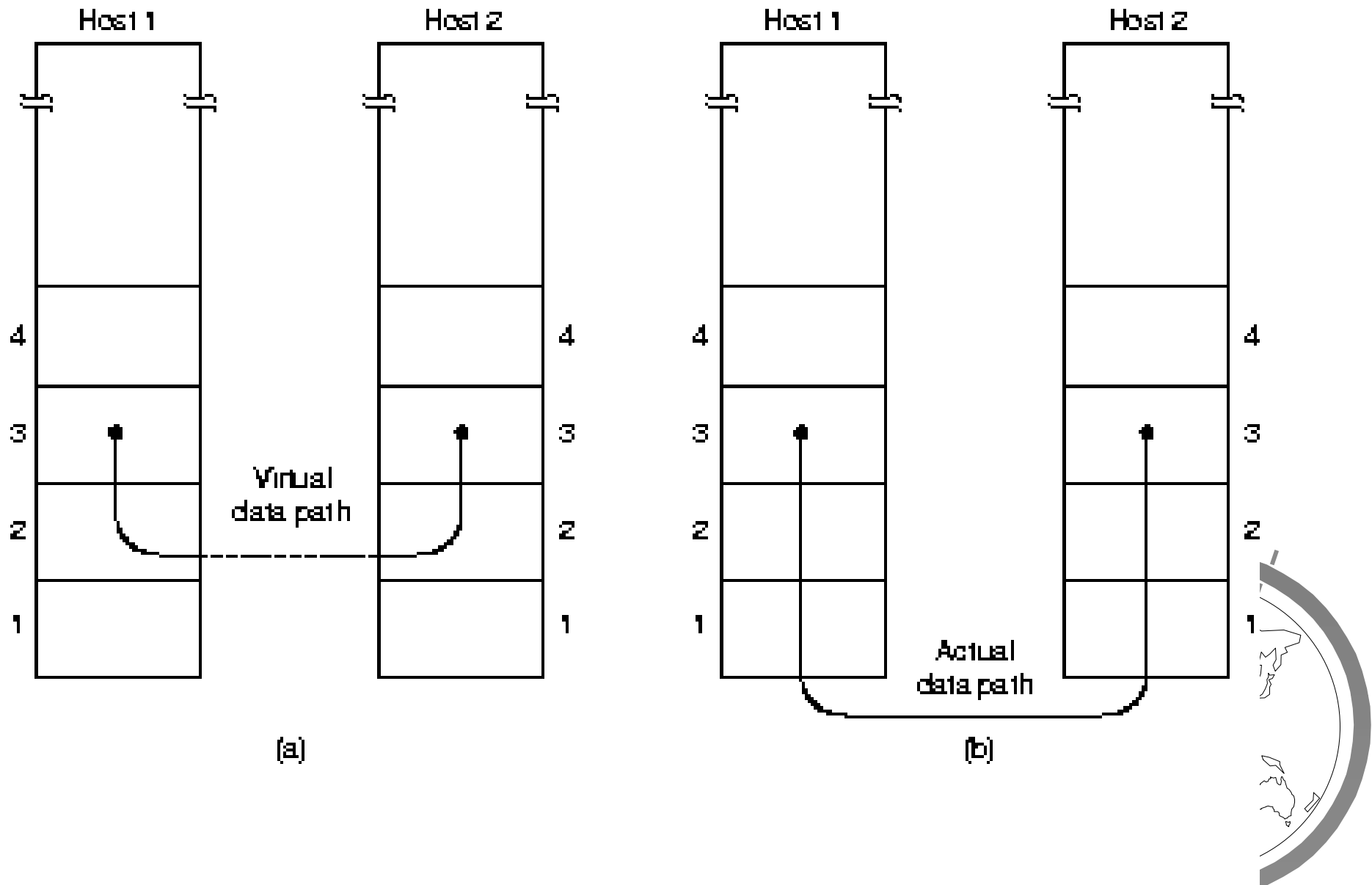
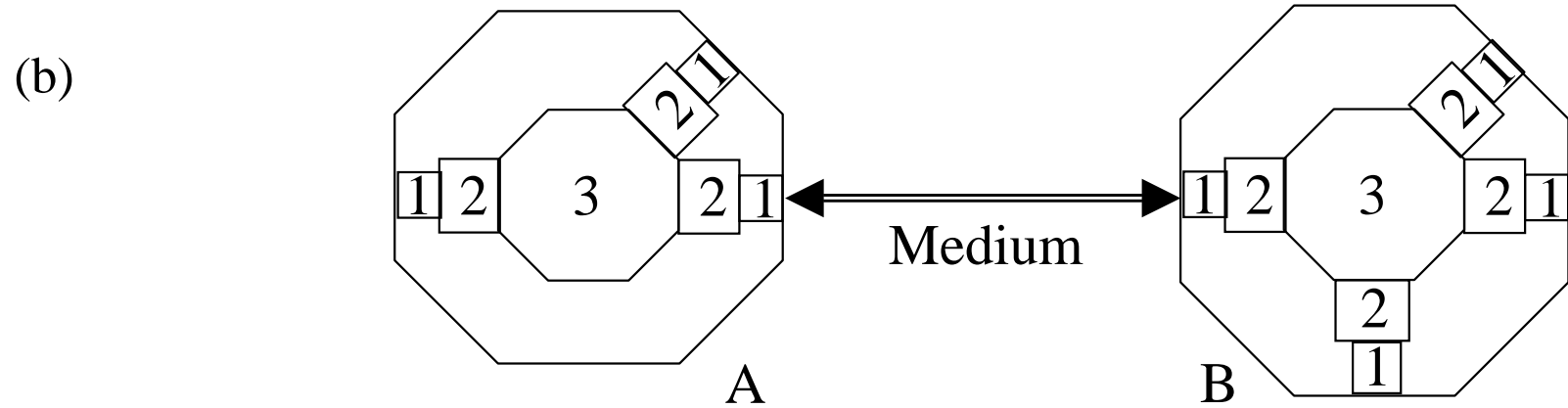
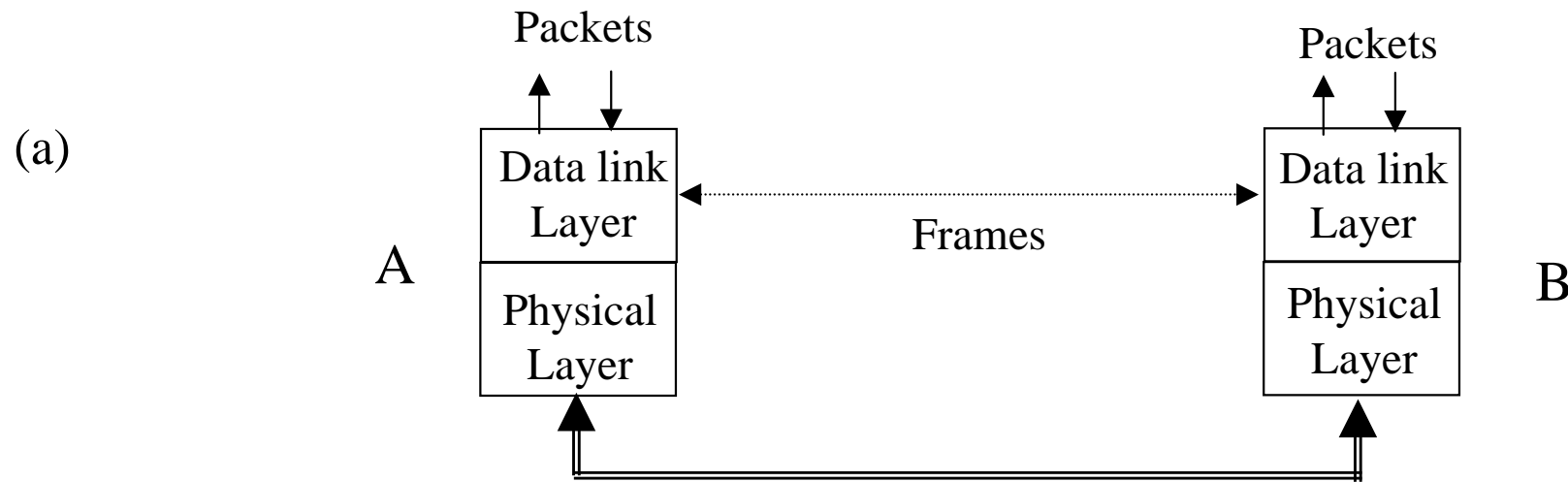


Fig. 3-1. (a) Virtual communication. (b) Actual communication.



1 Physical layer entity

2 Data link layer entity

3 Network layer entity

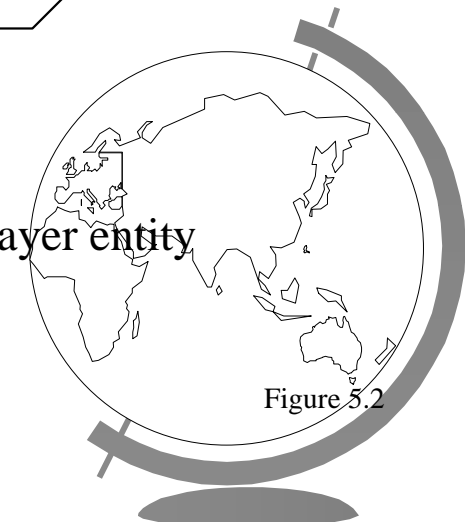


Figure 5.2



# Types of Services Possible

- ☞ Unacknowledged connectionless (best effort)
  - No acknowledgements
  - No logical connection beforehand
  - Frame lost, no detection or recovery
  - Why would you want this service?
    - ◆ When loss infrequent, easy for upper layer to recover
    - ◆ “Better never than late” (real-time traffic)
- ☞ Acknowledged connectionless service
  - Still no connection
  - Packets acknowledged
  - Why would you want this service?
    - ◆ Unreliable channel (wireless)



# Types of Services Possible

## ☞ Acknowledged connection-oriented service

- Connection is set up
- All frames are numbered
- Data link guarantees:
  - ◆ All frames sent are received
  - ◆ No duplicates
  - ◆ Frames received in order
  - ◆ Network layers sees equivalent of reliable bit stream



# Framing

- Data link breaks physical layer stream of bits into *frames*

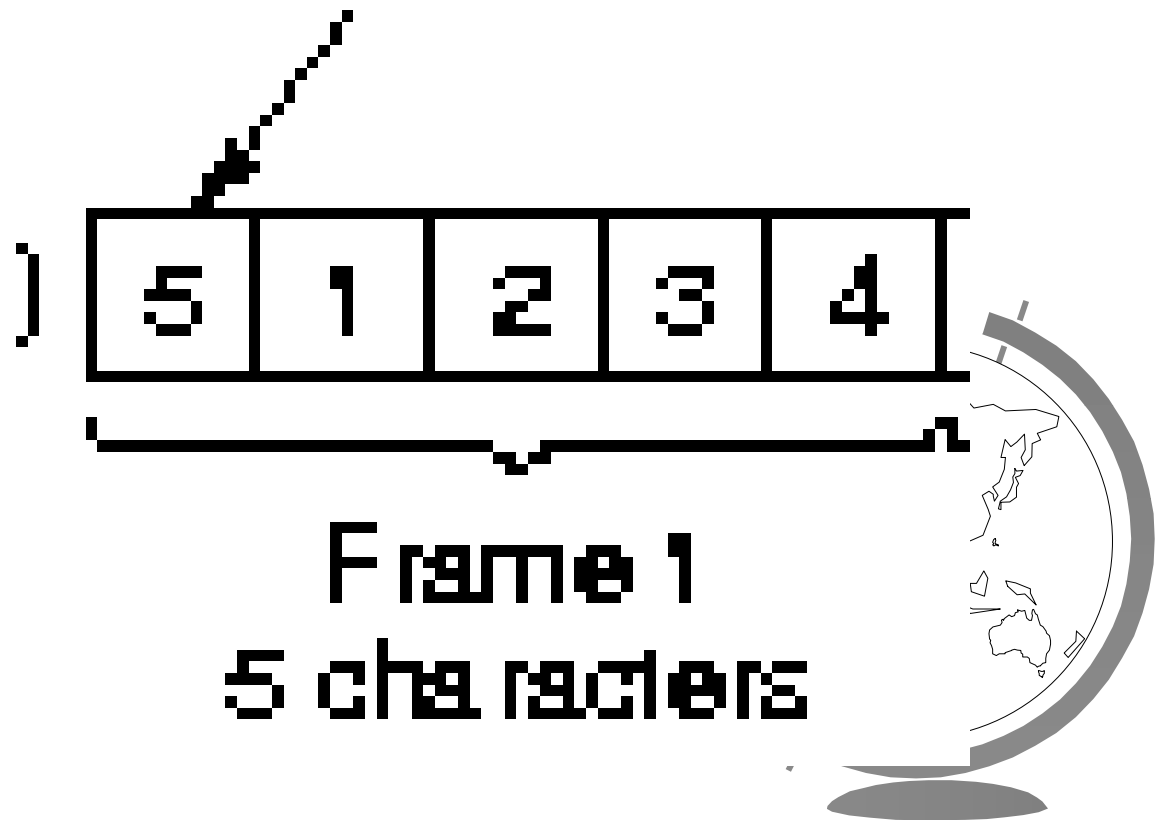
...010110100101001101010010...

- Varying propagation delays: can't count on timing
- How does receiver detect boundaries?
  - Length count
  - Byte stuffing: special flag characters
  - Bit stuffing
  - Special physical layer encoding

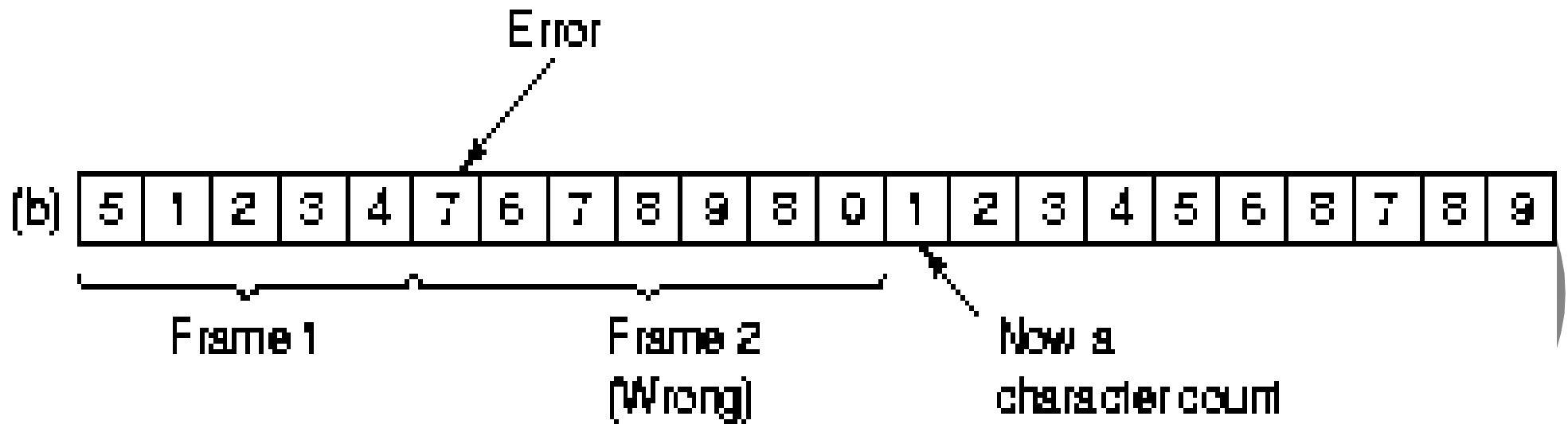
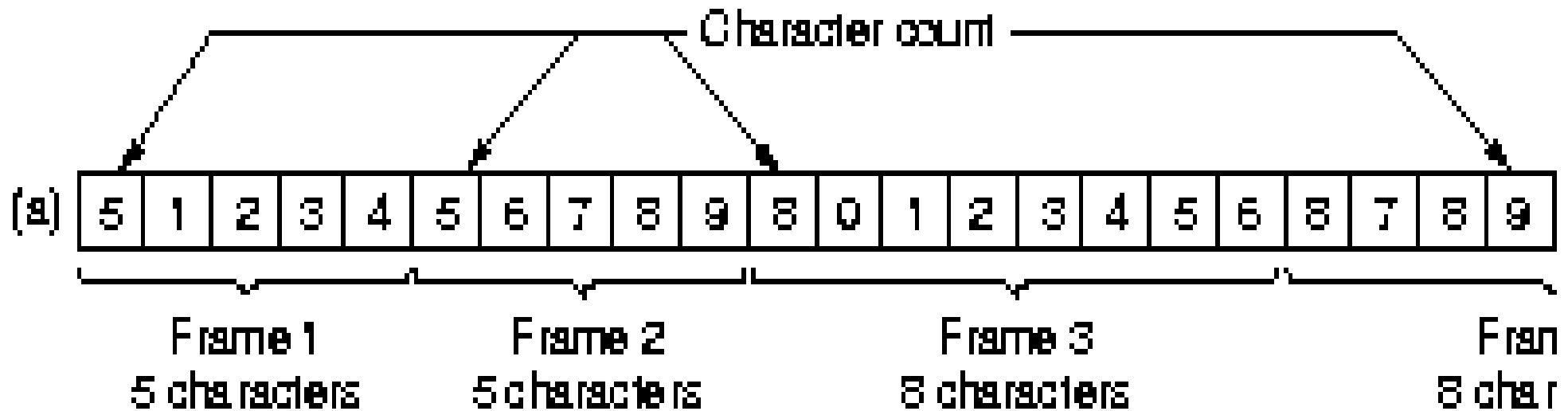


# Length count

- ➔ First field is length of frame
- ➔ Count until end
- ➔ Then, look for next frame
- ➔ Problems?



# Length Count Problems



# Byte Stuffing: Special Characters

- Reserved ASCII characters for framing delimiters (beginning and end)
- HDLC Example:
  - Beginning: DLE STX (Data-Link Escape, Start of TeXt)
  - End: DLE ETX (Data-Link Escape, End of TeXt)
- Problems?
- Solution?



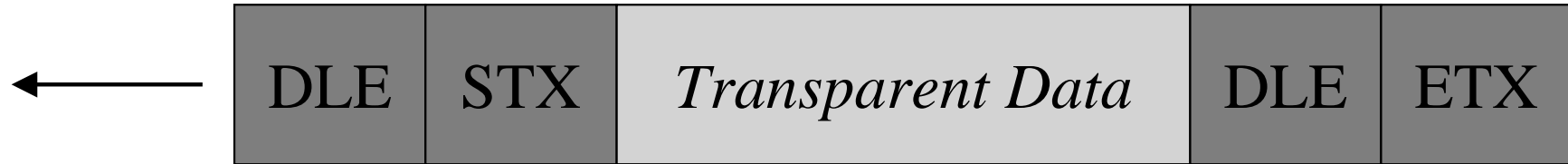
# Byte Stuffing

[HDLC Example]

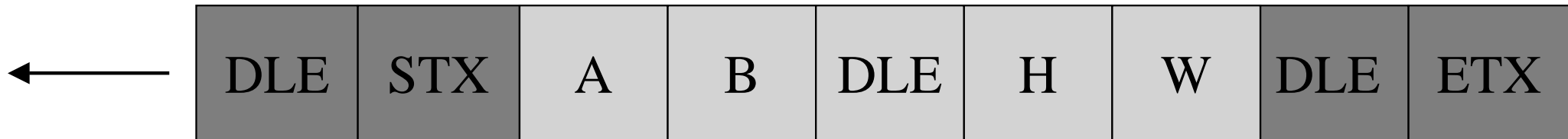
- ☞ Prob 1: reserved character patterns occur within the “transparent” data.
- ☞ Prob. 1 Soln:
  - sender stuffs an extra DLE into the data stream just before each occurrence of an “accidental” DLE in the data stream.
  - The data link layer on the receiving end unstuffs the DLE before giving the data to the network layer.



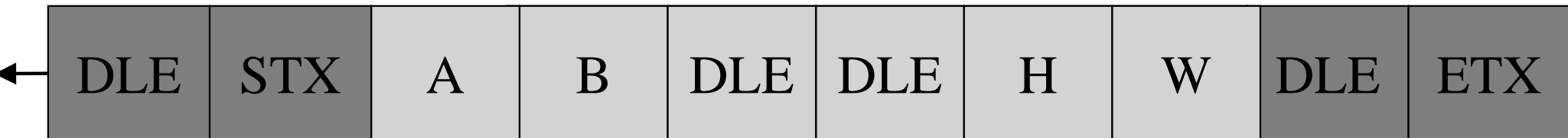
# HDLC Byte Stuffing



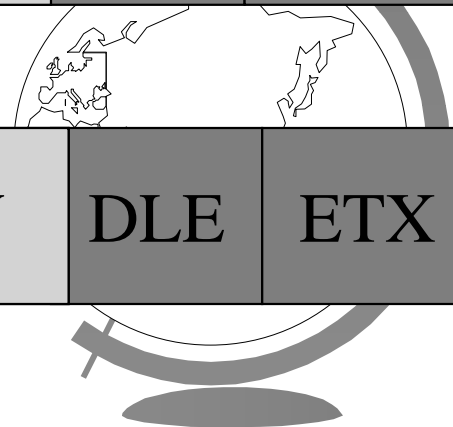
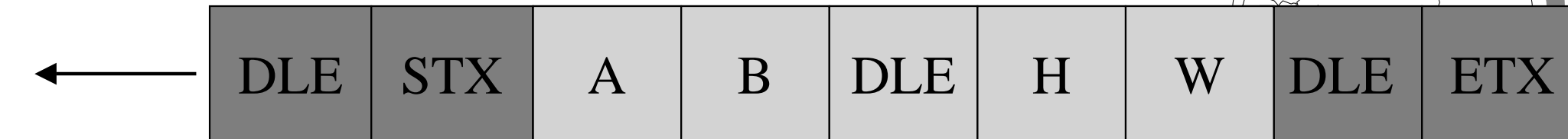
*Before*



*Stuffed*



*Unstuffed*





# Bit Stuffing

- ☞ Prob. 2: Not all architectures are character oriented: arbitrary-sized characters?
- ☞ Soln:
  - stuff at bit level (bit stuffing)
  - Each frame begins and ends with a special bit pattern called a flag byte [01111110].
  - What if flag bit pattern [01111110] occurs in data?
  - Soln: Whenever sender data link layer encounters 5 *consecutive 1's* in the data stream, it automatically stuffs a 0 bit into the outgoing stream.
  - When the receiver sees 5 *consecutive incoming 1's followed by a 0 bit*, it automatically destuffs the 0 bit before sending the data to the network layer.
  - Problem? Wasted bandwidth/processing



# Bit Stuffing

Input Stream

011011111110011111011111111100000

Stuffed Stream

0110111101100111110011111011111000000

Stuffed bits

Unstuffed Stream

011011111110011111011111111100000



# Special PHY-Layer Encoding

- Send a signal that does not have legal representation
  - low to high means a 1
  - high to low means a 0
  - high to high means frame end
  - IEEE 802.4 (token bus)
- Lastly, 2 or more delimiting methods used
- Combination of above:
  - length plus frame boundary
  - IEEE 802.3 (ethernet)



# Topics

☞ Introduction 

☞ Framing 

☞ Errors ←

– why

– detecting

– correction

☞ Protocols

☞ Modeling ?

☞ Examples ?



# Errors

- Trends
- Lines becoming digital
  - errors rare
- Copper the “last mile”
  - errors infrequent
- Wireless
  - errors common
- Errors are here for a while
- Plus, consecutive errors
  - bursts



# Handling Errors

- Add redundancy to data
- Example:
  - “hello, world” is the data
  - “hzllo, world” received (detect? correct?)
  - “xello, world” received (detect? correct?)
  - “jello, world” received (detect? correct?)
  - what about similar analysis with “caterpillar”?
- Some: *error detection*
- More: *error correction (Forward Error Correction)*



# What is an Error?

☞ Frame has  $m$  data bits,  $r$  redundancy bits

–  $n = (m+r)$  bit *codeword*

☞ Given two codewords, compute distance:

– 10001001

– 10110001

---

– 00111000

– XOR, 3 bits difference

– *Hamming Distance*

☞ “So what?”



# Code Hamming Distance

- Two codewords are  $d$  bits apart,
  - then  $d$  errors are required to convert one to other
- *Code Hamming Distance* min distance between any two legal codewords





# Error Detection using Parity Bit

- Single bit is appended to each data chunk
  - makes the total number of 1 bits even/odd
- Example: for even parity
  - 1000000(1)
  - 1111101(0)
  - 0000000(1)
- What is the *Hamming distance*?
- How many bit errors can it detect?
- How many bit errors can it correct?



# Hamming Distance Example

- Consider 8-bit code with 4 valid codewords:

00000000   00001111   11110000   11111111

- What is the *Hamming distance*?
- What is the min bits needed to encode?
  - What are n, m, and r?
- What if 00001110 arrives?
- What if 00001100 arrives?



# Ham On

- Consider a 10-bit code with 4 codewords:

00000 00000 00000 11111 11111 00000 11111 11111

- *Hamming distance?*

- Correct how many bit errors?

- 10111 00010 received, becomes 11111 00000 corrected
- 11111 00000 sent, 00011 00000 received

- Might do better

- 00111 00111 received, 11111 11111 corrected
- and contains 4 single-bit errors



# Fried Ham

- ☞ All possible data words are legal
- ☞ Choosing careful redundant bits can results in large Hamming distance
  - to be better able to detect/correct errors
- ☞ To detect  $d$  1-bit errors requires having a Hamming Distance of at least  $d+1$  bits
  - Why?
- ☞ To correct  $d$  errors requires  $2d+1$  bits.
  - Why?



# Designing Codewords

- ☞ Fewest number of bits needed for 1-bit errors?
  - $n = m + r$  bits to correct all 1-bit errors
- ☞ Each message has  $n$  illegal codewords a distance of 1 from it
  - form codeword ( $n$ -bits)
  - invert each bit, one at a time
- ☞ Need  $n + 1$  bits for each message
  - $n$  that are one bit away and 1 for the message



# Designing Codewords (cont)

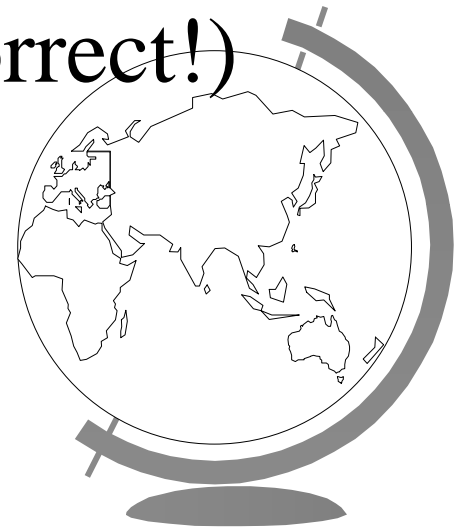
☞ The total number of bit patterns =  $2^n$

– So,  $(n+1) 2^m \leq 2^n$

– So,  $(m+r+1) \leq (2^{m+r}) / 2^m$

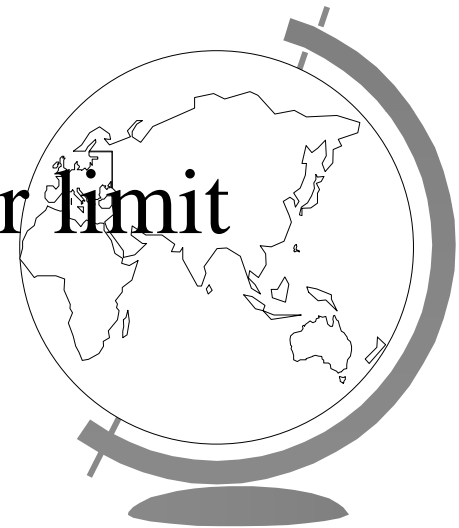
– Or,  $(m+r+1) \leq 2^r$

☞ Given  $m$ , have lower limit on the number of check bits required to detect (and correct!) 1-bit errors



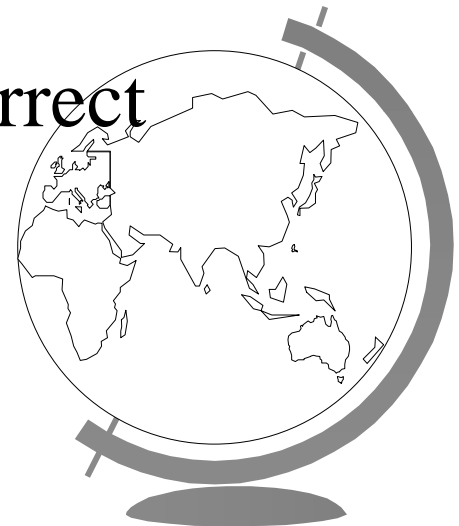
# Example

- 8 data bits,  $m = 8$
- How many check bits required to detect and correct 1-bit errors?
- $(8 + r + 1) < 2^r$ 
  - Is 3 bits enough?
  - Is 5 bits enough?
- Use *Hamming code* to achieve lower limit



# Hamming Code

- ☞ Bits are numbered left-to-right starting at 1
- ☞ Powers of two (1, 2, 4 ...) are check bits
- ☞ Check bits are parity bits for previous set
- ☞ Bit checked by only those check bits in the expansion
  - example: bit 19 expansion =  $1 + 2 + 16$
- ☞ Examine parity of each check bit,  $k$ 
  - If not, add  $k$  to a *counter*
- ☞ If 0, no errors else *counter* gives bit to correct





# Ham It Up

## ☞ Examples:

- Check bit 1 covers bits 1, 3, 5 ...
- Check bit 2 covers bits 2, 3, 6, 7, 10, 11 ...



# Hamming Code and Burst Errors

Char.	ASCII	Check bits
H	1001000	00110010000
a	1100001	10111001001
m	1101101	11101010101
m	1101101	11101010101
i	1101001	01101011001
n	1101110	01101010110
g	1100111	11111001111
	0100000	10011000000
c	1100011	11111000011
o	1101111	00101011111
d	1100100	11111001100
e	1100101	00111000101

Order of bit transmission



# Error Correction

## ☞ Expensive

- example: 1000 bit message
- Correct single errors? (10 check bits)
- Detect single errors? (1 parity bit)

## ☞ Useful mostly:

- simplex links (one-way)
- long delay links (say, satellite)
- links with very high error rates
  - ◆ would get garbled every time resent



# Error Detection

- Most popular use *Polynomial Codes* or *Cyclic Redundancy Codes (CRCs)*
  - checksums
- Acknowledge correctly received frames
- Discard incorrect ones
  - may ask for retransmission
- Error correction Vs. detection, tradeoff between:
  - Number of redundant bits added
  - Packet retransmission overhead
  - Natural ecological niche for each technique depending on error rate



# Polynomial Codes

☞ Bit string as polynomial w/0 and 1 coeffs

– ex:  $k$  bit frame, then  $x^{k-1}$  to  $x^0$

– ex: 10001 is  $1x^4+0x^3+0x^2+0x^1+1x^0 = x^4+x^0$

☞ Polynomial arithmetic mod 2

$$\begin{array}{r} 10011011 \\ + \underline{11001010} \\ \hline 01010001 \end{array} \quad \begin{array}{r} 11110000 \\ - \underline{10100110} \\ \hline 01010110 \end{array} \quad \begin{array}{r} 00110011 \\ + \underline{11001101} \\ \hline 11111110 \end{array}$$

☞ Long division same, except subtract as above

☞ “Ok, so how do I use this information?”



# Doing CRC

- ☞ Sender + receiver agree *generator polynomial*
  - $G(x)$ , ahead of time, part of protocol
  - with low and high bits a ‘1’, say 1001
- ☞ Compute checksum to frame ( $m$  bits)
  - $M(x)$  + checksum to be evenly divisible by  $G(x)$
- ☞ Receiver will divide by  $G(x)$ 
  - If no remainder, frame is ok
  - If remainder then frame has error, so discard
- ☞ “But how do we compute the checksum?”



# Computing Checksums

- Let  $r$  be *degree* of  $G(x)$ 
  - If  $G(x) = x^2 + x^0 = 101$ , then  $r$  is 2
- Append  $r$  zero bits to frame  $M(x)$ 
  - get  $x^r M(x)$
  - ex:  $1001 + 00 = 100100$
- Divide  $x^r M(x)$  by  $G(x)$  using mod 2 division
  - ex:  $100100 / 101$
- Care about *remainder*
- “Huh? Do you have an example?”



# Dividing $x^r M(x)$ by $G(x)$

$$\begin{array}{r} \phantom{101} \overline{\phantom{101} 1011 \phantom{000}} \\ 101 \mid 100100 \\ \phantom{101} \underline{101} \\ \phantom{101} 011 \\ \phantom{101} \phantom{0} \underline{000} \\ \phantom{101} \phantom{0} 110 \\ \phantom{101} \phantom{0} \phantom{0} \underline{101} \\ \phantom{101} \phantom{0} \phantom{0} 110 \\ \phantom{101} \phantom{0} \phantom{0} \phantom{0} \underline{101} \\ \phantom{101} \phantom{0} \phantom{0} \phantom{0} 11 \quad \leftarrow \text{Remainder} \end{array}$$

“Ok, now what?”





# Computing Checksum Frame

- Subtract (mod 2) remainder from  $x^r M(x)$

$$\begin{array}{r} 100100 \\ \underline{\quad 11} \\ 100111 \end{array}$$

- Result is checksum frame to be transmitted

- $T(x) = 100111$

- What if we divide  $T(x)$  by  $G(x)$ ?

- Comes out evenly, with no remainder
  - Ex:  $210,278 / 10,941$  remainder 2399
  - $210,279 - 2399$  is divisible by 10,941

- “Cool!”



# Let's See if it Worked

$$\begin{array}{r} 101 \quad \underline{\underline{\quad\quad\quad 1011}} \\ | \quad 100111 \\ \quad \underline{101} \\ \quad \quad 011 \\ \quad \quad \underline{000} \\ \quad \quad \quad 111 \\ \quad \quad \quad \underline{101} \\ \quad \quad \quad \quad 101 \\ \quad \quad \quad \quad \underline{101} \\ \quad \quad \quad \quad \quad 0 \end{array}$$

← yeah!





# Power of CRC?

- Assume an error,  $T(x) + E(x)$  arrives
- Each 1 bit in  $E(x)$  is an inverted bit
- Receiver does  $[T(x) + E(x)] / G(x)$
- Since  $T(x) / G(x) = 0$ , result is  $E(x) / G(x)$
- If  $E(x)$  factor of  $G(x)$ , then error slips by
  - all other errors are caught



# Power of CRC!!

## ☞ IEEE 802 Standard:

- $x^{32} + x^{26} + x^{22} + x^{16} + x^{12} + x^{12} + x^{11} + x^{10} + x^8 + x^7 + x^5 + x^4 + x^2 + x^1 + 1$
- Detects burst errors of length 32 or less

## ☞ Final words:

- Checksum calculation seems complex
- Only need a simple shift register circuit to compute and verify
- Virtually all LANs and point-to-point lines use it
- Previous assumption: bits in frame are random
- Correlation between bits make errors more common

