# CS 4731/ 543: Computer Graphics Lecture 8 (Part II): Raytracing (Part 4) 

## Reflection and Transparency

- Ray tracing also handles reflections and refraction of light well
- We can easily render realistic scenes with
- mirrors,
- martini glasses
- So, far, we have considered Local components (ambient, diffuse, specular)
- Local components are contributions from light sources which are visible from hit point
- To render reflection, and refraction we need to add reflection and refraction components of light

$$
I=I_{\text {amb }}+I_{\text {diff }}+I_{\text {spec }}+I_{\text {reft }}+I_{\text {tran }}
$$

## Reflection and Transparency

- First three components are local

$$
I=I_{a m b}+I_{d i f f}+I_{s p e c}+I_{\text {refl }}+I_{t r a n}
$$



- Reflected component, $I_{R}$ is along mirror direction from eye -r


## Reflection and Transparency

- $\mathbf{r}$ is given as (see eqn 4.22) as

$$
\mathbf{r}=\operatorname{dir}-2(\operatorname{dir} \bullet \mathbf{m}) \mathbf{m}
$$

- Transmitted component $I_{T}$ is along transmitted direction $\mathbf{t}$
- Portion of light coming in from direction $\mathbf{t}$ is bent along dir
- $I_{R}$ and $I_{T}$ each have their own five components (ambient, diffuse, etc)

- In some sense, point P' along reflected direction $\mathbf{r}$ serves as a light source to point $P_{h}$


## Reflection and Transparency

- To determine reflected component
- Spawn reflected ray along direction $\mathbf{r}$
- Determine closest object hit
- To determine transmitted component
- Cast transmitted ray along direction $\mathbf{t}$
- Determine closest object hit
- So, at each hit point, local, reflected and refracted components merge to form total contributions



## Reflection and Transparency: Ray Tree



Fig. 12. The ray tree in spharnetic form.

- Local, reflected, transmitted and shadow rays form a tree


## Reflection and Transparency

- Tree structure suggest recursion at successive hit points
- Recurse forever? No!!
- At each point, only fraction of impinging reflected or refracted ray is lost
- Who determines fraction? Designer... sets transparency or reflectivity in SDL file.
- E.g reflectivity 0.8 means only $80 \%$ of impinging ray is reflected
- Thus, need to check reflected contribution by saying if (reflectivity >0.6)...
- Also check if(transparency > threshold)
- Basically, do not want to work hard for tiny contributions. Drop (terminate shade) if contribution is too small


## Refraction and Transparency

- May also need to determine how many times you want to bounce (even if threshold is still high)
- For example, in room with many mirrors, do you want to bounce forever (your system may cry!!)
- Set recurseLevel (yup!! same as in shadows) to say how many bounces using (variable maxRecursionLevel)
- recurseLevel of 4 or 5 is usually enough to create realistic pictures
- Ray from eye to first hit point has recurseLevel of 0
- All rays from first hit point have recurseLevel $=1$
- Need to modify shade function to handle recursion


## Recursive shade( ) skeleton

Color3 Scene: : shade (Ray\& )
\{
Get the first hit, and build hitInfo h
Shape* myObj = (Shape*)h.hitObject; // ptr to hit obj Color3 color.set (the emissive component); color.add(ambient contribution); get normalized normal vector $m$ at hit point for (each light source)
add the diffuse and specular components
// now add the reflected and transmitted components
if(r.recurseLevel == maxRecursionLevel) return color; // don't recurse further

## Recursive shade( ) skeleton

```
if(hit object is shiny enough) // add reflected light
    {
        get reflection direction
        build reflected ray, refl
        refl.recurseLevel = r.recurseLevel + 1;
        color.add(shininess * shade(refl));
    }
if(hit object is transparent enough)
{
        get transmitted direction
        build transmitted ray, trans
        trans.recurseLevel = r.recurseLevel + 1;
        color.add(transparency * shade(trans));
    }
    return color;
```


## Finding Transmitted Direction

- So far, found reflected direction ray direction as mirror direction from eye
- Transmitted direction obeys Snell's law
- Snell's law: relationship holds in the following diagram


$$
\frac{\sin \left(\theta_{2}\right)}{c_{2}}=\frac{\sin \left(\theta_{1}\right)}{c_{1}}
$$

$\mathrm{c}_{1}, \mathrm{c}_{2}$ are speeds of light in medium 1 and 2

## Finding Transmitted Direction

- If ray goes from faster to slower medium, ray is bent towards normal
- If ray goes from slower to faster medium, ray is bent away from normal
- c1/c2 is important. Usually measured for medium-tovacuum. E.g water to vacuum
- Some measured relative c1/c2 are:
- Air: 99.97\%
- Glass: $52.2 \%$ to $59 \%$
- Water: 75.19\%
- Sapphire: $56.50 \%$
- Diamond: 41.33\%


## Critical Angle

- There exists transmitted angle at which ray in faster medium (e.g. air) is bent along object surface
- That angle ( $\theta_{2}$ in figure below) is known as the critical angle
- Increasing transmission angle beyond critical angle has "no effect"... transmitted ray still below object surface
- Physical significance:
- Underwater in pond, can see enter world through small cone of angles



## Transmission Angle

- Vector for transmission angle can be found as

$$
\mathbf{t}=\frac{c_{2}}{c_{1}} \operatorname{dir}+\left(\frac{c_{2}}{c_{1}}(\mathbf{m} \cdot \operatorname{dir})-\cos \left(\theta_{2}\right)\right) \mathbf{m}
$$

where

Medium \#1
Medium \#2

dir $m$

$$
\cos \left(\theta_{2}\right)=\sqrt{1-\left(\frac{c_{2}}{c_{1}}\right)\left(1-(\mathbf{m} \cdot \operatorname{dir})^{2}\right)}
$$

## For Project 5

- May read up hit (intersection) functions for shapes, add to your ray tracer
- Cube
- Cylinder
- Mesh, ... etc


## References

- Hill, chapter 12

